

Fault Attacks

Side-Channel Security

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If you found (parts) of this lecture interesting, consider doing a master project/thesis with us!

Some topics I offer:

- Single-Trace Side Channel Attacks (Like task 2, but more detail)
- Masking Countermeasures for Software and Hardware
- Machine Learning for SCA
- Implementing SCA tools efficiently in Rust
- Attacking Post-Quantum crypto on real devices

Recap

Differential Fault Attacks

Statistical Fault Attacks

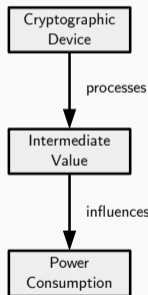
Countermeasures

Breaking Countermeasures Again

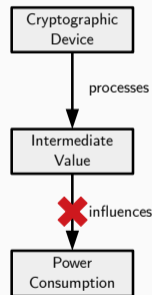
Recap

- Power analysis attacks
- Countermeasures
 - Hiding (Shuffling)
 - Masking

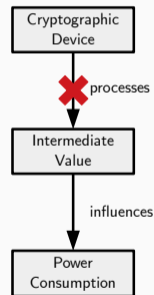
Unprotected



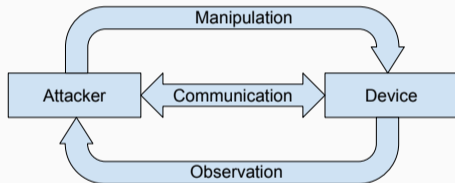
Hiding



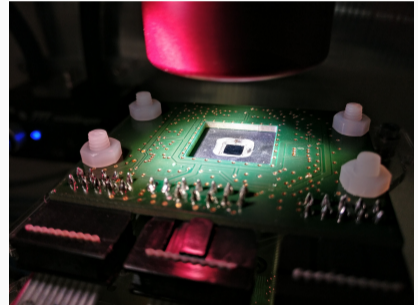
Masking



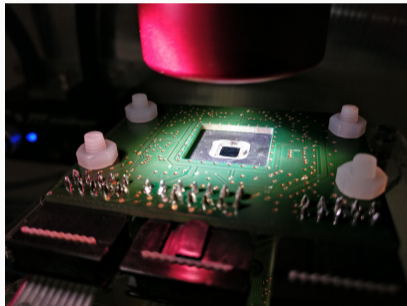
- Attacker has (legitimate) access to device
- Thus far: Passive attacks (and countermeasures)
- But the attacker can do much more...



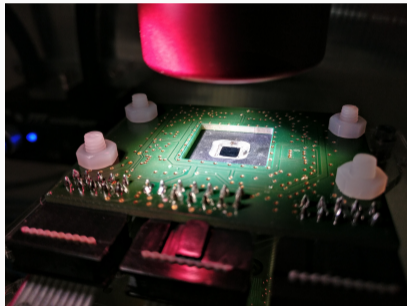
- Induce fault in computation: Erroneous result
 - Transient faults: Only current computation (gone after reset, at the latest)



- Induce fault in computation: Erroneous result
 - Transient faults: Only current computation (gone after reset, at the latest)
- Fault injection techniques
 - Spike/glitch attacks (clock, Vdd, IO, ...)
 - Laser, BBI
 - Rowhammer, Plundervolt
 - ...

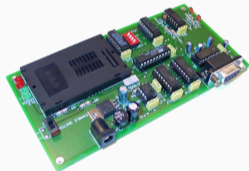


- Induce fault in computation: Erroneous result
 - Transient faults: Only current computation (gone after reset, at the latest)
- Fault injection techniques
 - Spike/glitch attacks (clock, Vdd, IO, ...)
 - Laser, BBI
 - Rowhammer, Plundervolt
 - ...
- Effects
 - Instruction skip
 - Data corruption
 - ...



- PayTV (early 2000s)
 - Pirated cards bricked via remote firmware update
 - Inserted infinite loop, otherwise unchanged
 - Solution: Glitching! Increment IP, but no jmp
 - “Unlooper” device

```
// startup loop:  
jmp loop;  
// continue to bootloader
```



- PayTV (early 2000s)
 - Pirated cards bricked via remote firmware update
 - Inserted infinite loop, otherwise unchanged
 - Solution: Glitching! Increment IP, but no jmp
 - “Unlooper” device
- Gaming devices
 - Xbox360 reset hack
 - Voltage glitching on reset line
 - Execute untrusted code (modified firmware)

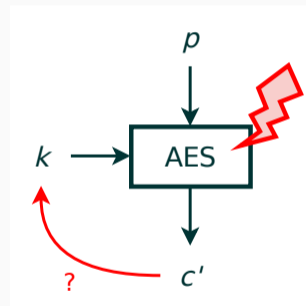
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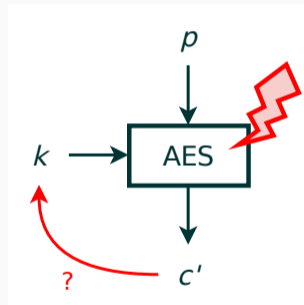
- Attack cryptographic implementations
- We want to get the key
- Fault injection alone (mostly) does not leak the key
 - More work is needed

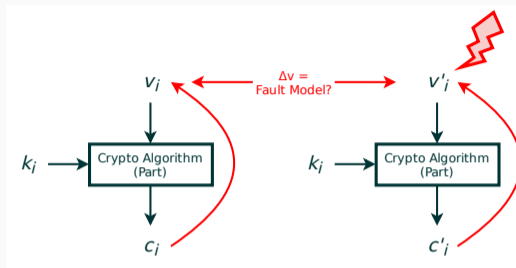
Differential Fault Attacks

- Inject fault during AES encryption
 - Get: Faulty ciphertext c'
 - Want: Key
 - \rightarrow Faulting alone is only half the game!

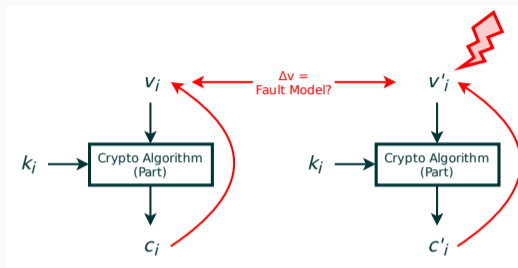


- Inject fault during AES encryption
 - Get: Faulty ciphertext c'
 - Want: Key
 - → Faulting alone is only half the game!
- Idea: Compare correct and faulty ciphertext
 - Encrypt same plaintext twice, once with a fault
 - Use difference in ciphertext to recover the key
 - → Differential Fault Attack

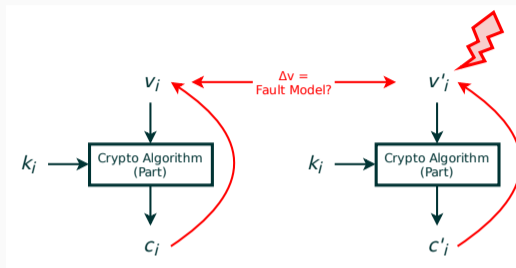




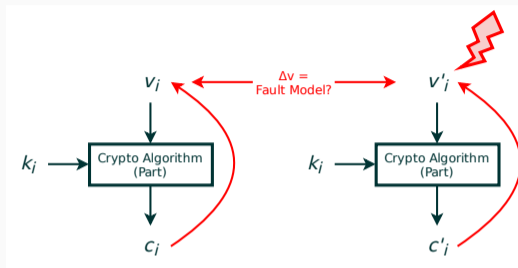
- Pick an intermediate v
 - v is combined with a small part of the last round key



- Pick an intermediate v
 - v is combined with a small part of the last round key
- 2 invocations with same p , once with fault in v
 - Usually we don't know exact effect
 - Could be flipping 1 bit/byte
 - Could be randomization of 1 bit/byte

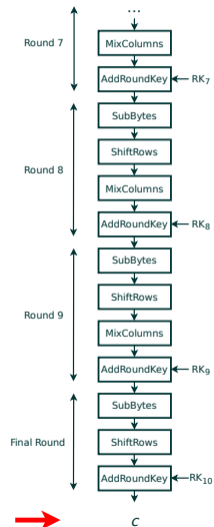


- Enumerate possible subkey values
 - Compute backwards for each guess
 - Check if XOR-difference = fault model
 - Wrong guess: "randomized" v and Δv

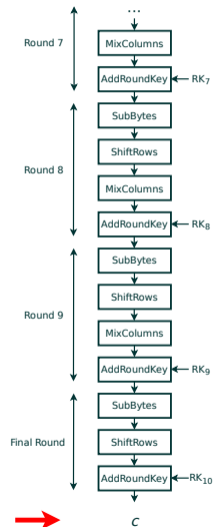


- Enumerate possible subkey values
 - Compute backwards for each guess
 - Check if XOR-difference = fault model
 - Wrong guess: “randomized” v and Δv
- Remember: AES key schedule is invertible
 - If it were not: Attack decryption or attack round after round

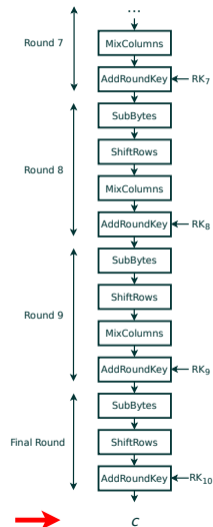
- Faulting Ciphertext?



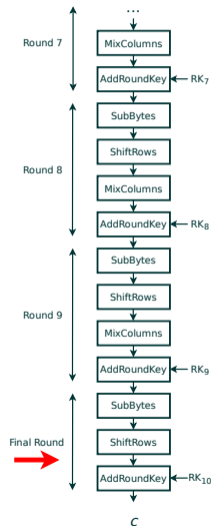
- Faulting Ciphertext?
- No!



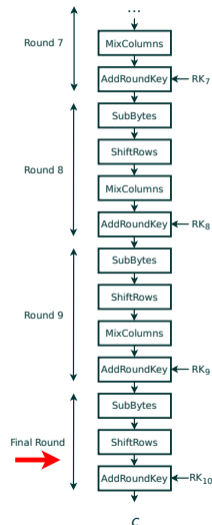
- Faulting Ciphertext?
- No!
- Δc does not depend on a key



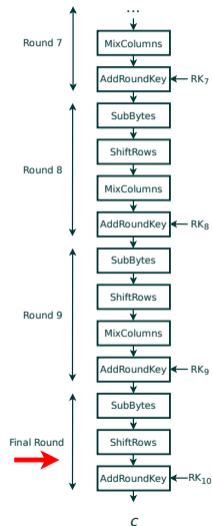
- Faulting before AddRoundKey10?
 - ... depends on type of fault



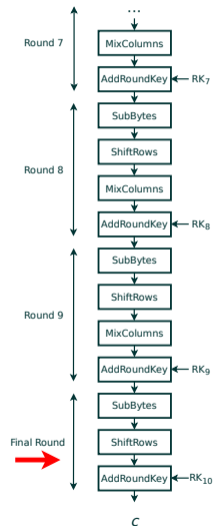
- Faulting before AddRoundKey10?
 - ... depends on type of fault
- Fault model 1: Stuck-at known (can set v to a specific value)
 - **Attack possible!**
 - Example: v stuck at 0 $\rightarrow c = v \oplus k = k$



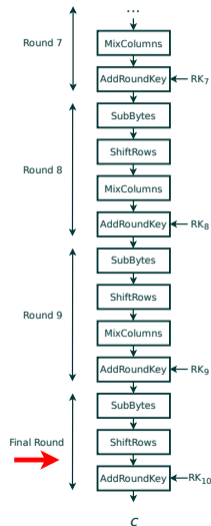
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 - ... depends on type of fault
- Fault model 1: Stuck-at known (can set v to a specific value)
 - **Attack possible!**
 - Example: v stuck at 0 $\rightarrow c = v \oplus k = k$
- Problem: Stuck-at-known hard to do (reliably)
 - Easier: Random flips, stuck-at-unknown, ...



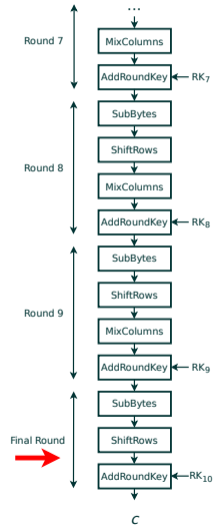
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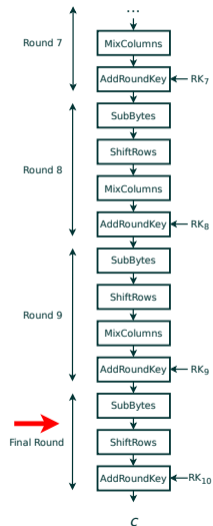
- Faulting before AddRoundKey10?
 - ... depends on type of fault
- Fault model 2: Random flips



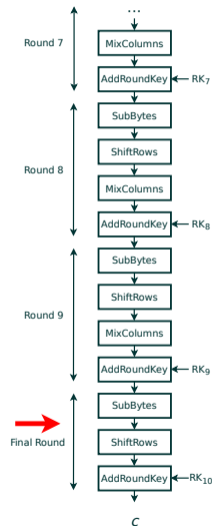
- Faulting before AddRoundKey10?
 - ... depends on type of fault
- Fault model 2: Random flips
 - No attack possible!
 - Fault propagates through XOR \rightarrow
 Δc does not depend on the key
$$c = v \oplus k$$
$$c' = (v \oplus \Delta v) \oplus k = c \oplus \Delta v$$



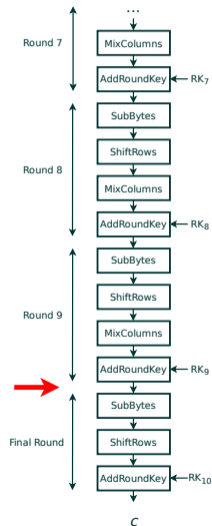
- Faulting before ShiftRows10?



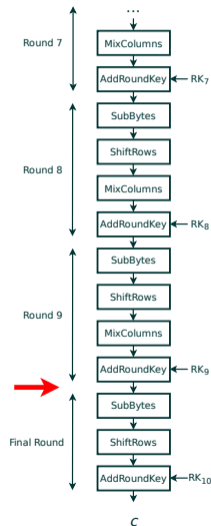
- Faulting before ShiftRows10?
- Same situation as for AddRoundKey
 - Attack possible
 - ShiftRows just rearranges bytes



- Faulting before SubBytes10?
 - ... depends on fault type



- Faulting before SubBytes10?
 - ... depends on fault type
- Fault Model 1: Flip 1 bit
 - **Attack possible**
 - ... but hard to achieve single flipping bit (precise Laser)

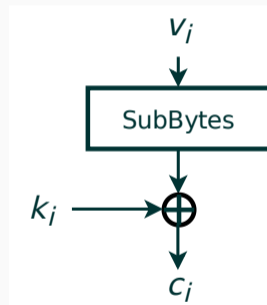


- Correct output = 1a, faulty output = 99

$k = 0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \ 8 \ \dots$

 $C = 1a : S^{-1}(C \text{ xor } k):$

$C' = 99 : S^{-1}(C' \text{ xor } k):$



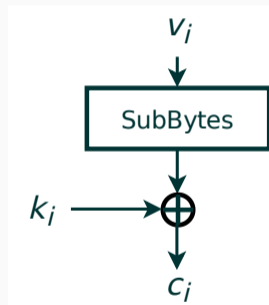
- Correct output = 1a, faulty output = 99

k = 0 1 2 3 4 5 6 7 8 ...

C = 1a : $S^{-1}(C \text{ xor } k)$: 43 44 34 8e e9 cb c4 **de** 39 ...

C' = 99 : $S^{-1}(C' \text{ xor } k)$: f9 e2 e8 37 75 1c 6e **df** ac ...

- Only few keys have this property: Filter them!



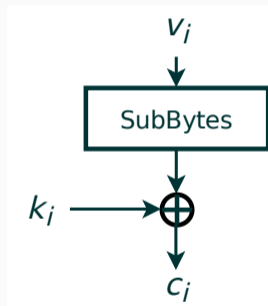
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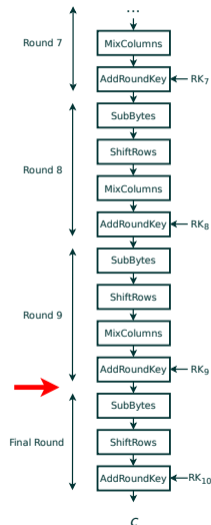
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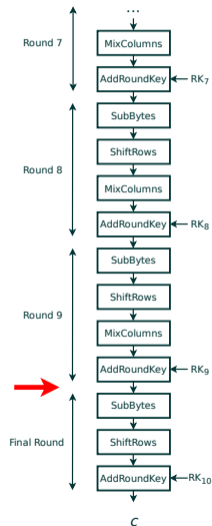
- Only few keys have this property: Filter them!
- Use another c/c' pair to get down to 1 key



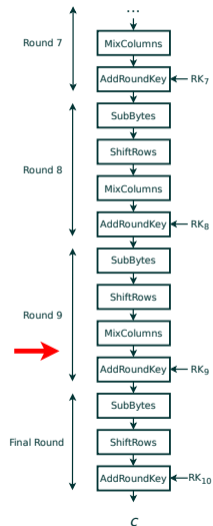
- Faulting before SubBytes10?
 - ... depends on fault type
- Fault Model 2: Random byte fault (unknown)



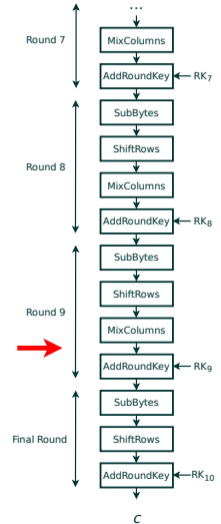
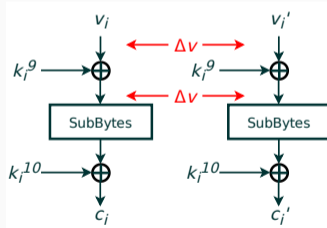
- Faulting before SubBytes10?
 - ... depends on fault type
- Fault Model 2: Random byte fault (unknown)
 - Much easier to achieve (on an 8-bit implementation)
 - ... but no attack possible



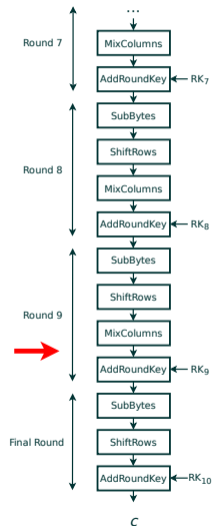
- Faulting before AddRoundKey9?



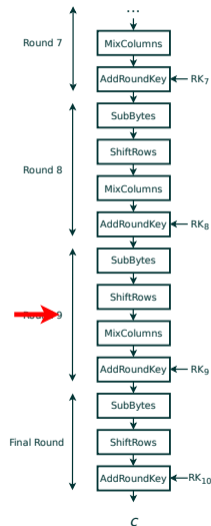
- Faulting before AddRoundKey9?
- Important observation: $\Delta v = v \oplus v' = (v \oplus k) \oplus (v' \oplus k)$



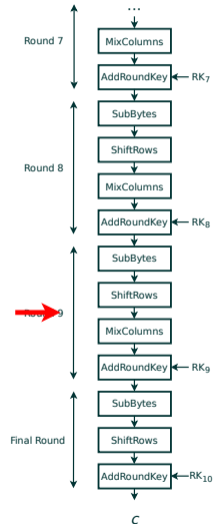
- Faulting before AddRoundKey9?
 - Attack possible
 - Exactly the same as previously (RK_9 cancels out)



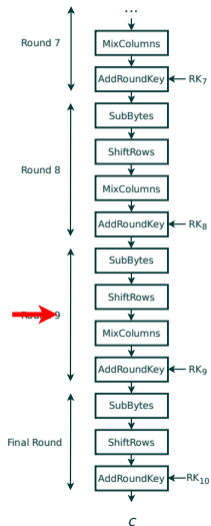
- Faulting before MixColumns9?



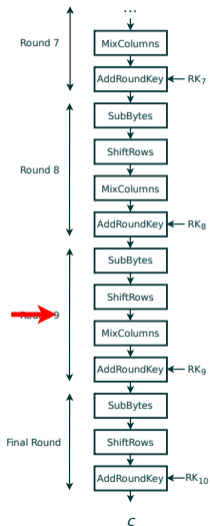
- Faulting before MixColumns9?
- Fault Model: Random byte fault (unknown)
 - Attack possible!
 - Comparably easy to achieve
 - Basis for Piret's attack



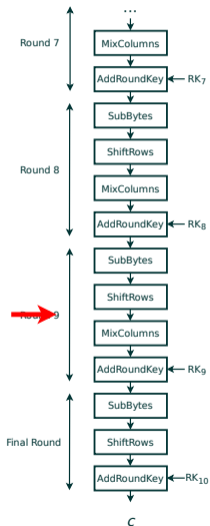
- Model byte fault using (unknown) difference Δ : $v'_1 = v_1 \oplus \Delta$



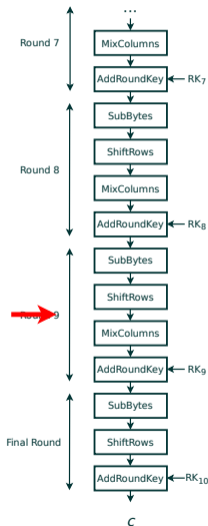
- Model byte fault using (unknown) difference Δ : $v_1' = v_1 \oplus \Delta$
- MixColumns: Linear operation, 4 byte input:
$$\text{MixColumns}([v_1 \oplus \Delta, v_2, v_3, v_4]) =$$
$$\text{MixColumns}([v_1, v_2, v_3, v_4]) \oplus \text{MixColumns}([\Delta, 0, 0, 0])$$



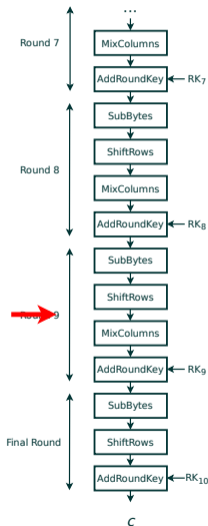
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- Observe: 4 byte input, but only 1 is active in $\text{MixColumns}([\Delta, 0, 0, 0])$
 - Only 255 possible MixColumns outputs!



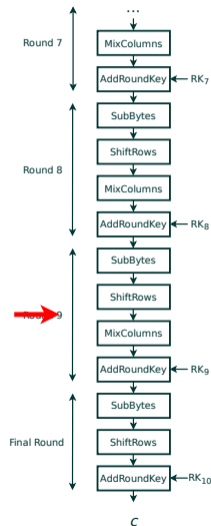
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- Other 3 bytes can be faulted as well (but only one at a time)
 - $\text{MixColumns}([\Delta, 0, 0, 0])$
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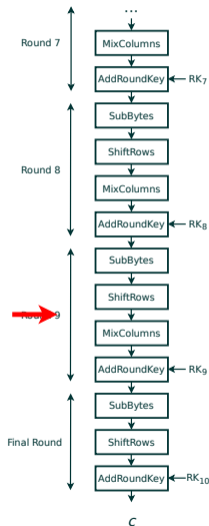
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- $4 \times 255 = 1020$ possible MixColumns outputs
 - Precompute all of them



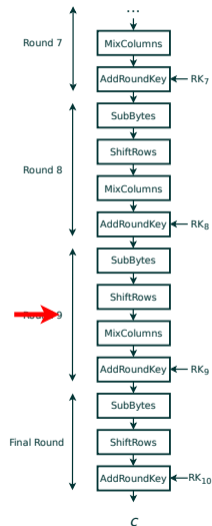
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 - Determine affected column by checking output difference (only 4 ciphertext bytes will differ, check which ones)



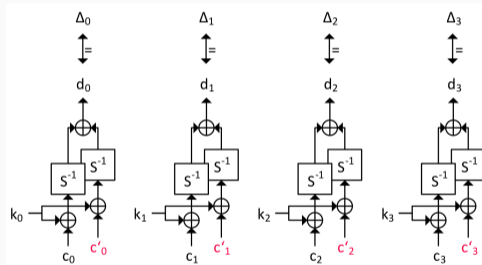
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 - Determine affected column by checking output difference (only 4 ciphertext bytes will differ, check which ones)
- Enumerate 2^{32} combinations of affected RK_{10}
 - Compute back to output of MixColumns9 (for both, valid c and faulty c')
 - Test if difference is in precomputed list
→ If yes then keep key candidate



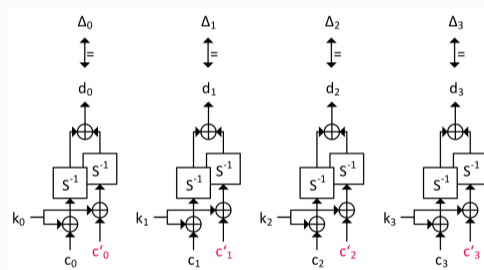
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→ If yes then keep key candidate
- Problem: We don't want to try 2^{32} keys ...



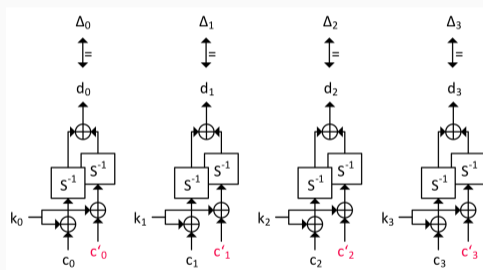
1. Compute all 1020 possible MC output differences
 - $MC(1 \dots 255, 0, 0, 0)$, $MC(0, 1 \dots 255, 0, 0)$, ...



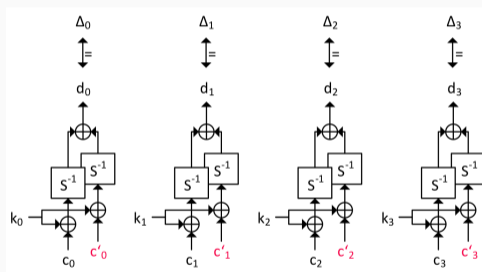
1. Compute all 1020 possible MC output differences
 - $MC(1..255, 0, 0, 0)$, $MC(0, 1..255, 0, 0)$, ...
2. Predict differences for each key byte individually
 - $4 \text{ positions} \times 256 \text{ values} = 1024 \text{ combinations}$
 - Precompute them once



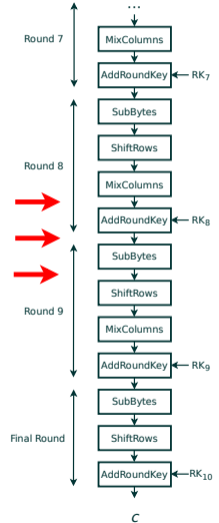
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3. Loop over possible differences:
 - For each difference $(\Delta_0, \Delta_1, \Delta_2, \Delta_3)$:
 - Add all combinations of key bytes where $(\Delta_0 = d_0, \Delta_1 = d_1, \dots)$ to a list of potential keys



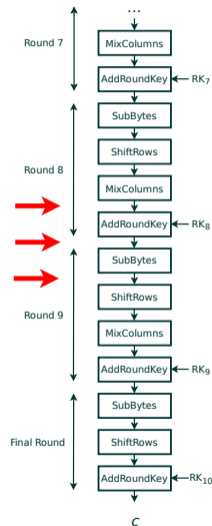
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 - Add all combinations of key bytes where $(\Delta_0 = d_0, \Delta_1 = d_1, \dots)$ to a list of potential keys
4. Use second faulty/correct pair
 - Loop over remaining key candidates from previous step
 - For each: Test if predicted difference is in precomputed list



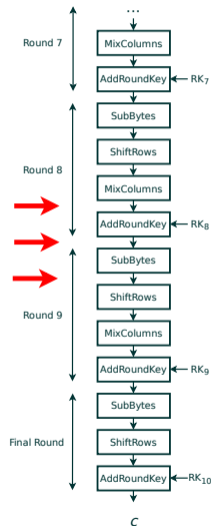
- Faulting between AddRoundKey8 - SubBytes9?



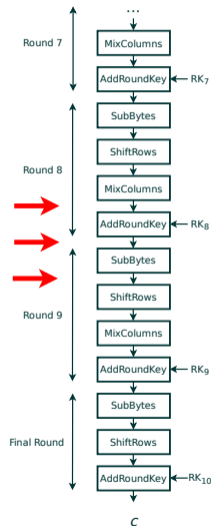
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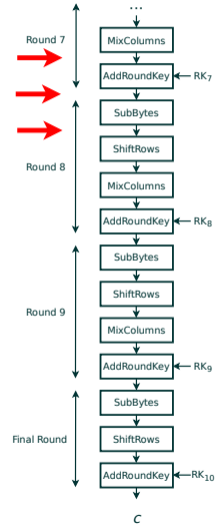
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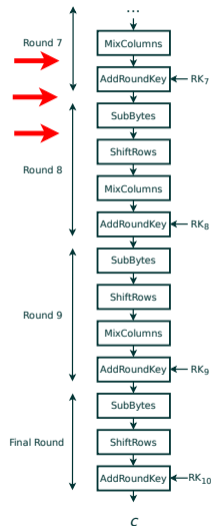
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- But can we do even better?



- Faulting between AddRoundKey7 - MixColumns8



- Faulting between AddRoundKey7 - MixColumns8
- Fault model: Random fault in 1 byte
 - **Attack possible!**
 - Observation: faulting 1 byte
→ All 4 bytes in column affected later
 - ShiftRows9 distributes the 4 bytes to 4 different columns



$$\begin{pmatrix} \Delta & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix} \xrightarrow{\text{MC8}} \begin{pmatrix} \Delta & 0 & 0 & 0 \\ \Delta & 0 & 0 & 0 \\ \Delta & 0 & 0 & 0 \\ \Delta & 0 & 0 & 0 \end{pmatrix} \xrightarrow{\text{SR9}} \begin{pmatrix} \Delta & 0 & 0 & 0 \\ 0 & 0 & 0 & \Delta \\ 0 & 0 & \Delta & 0 \\ 0 & \Delta & 0 & 0 \end{pmatrix}$$

- Single-byte difference in each column with just 1 fault!

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- Single-byte difference in each column with just 1 fault!
- Full key recovery with just 2 faults (by performing Priet's attack 4×)
- Problem: harder to detect if fault injection is exploitable
 - Before: 4 bytes different → likely exploitable
 - Now: All bytes different, did we really hit single byte before MC8 or something else?

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 - Use “Excel implementation” of AES for that
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- In all cases: Recovering 4 bytes of the last roundkey is sufficient

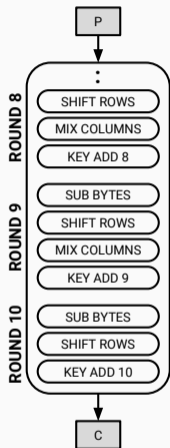
Statistical Fault Attacks

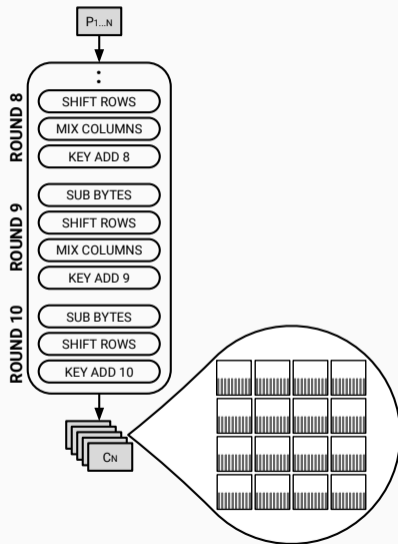
- Exploit faulty ciphertexts only

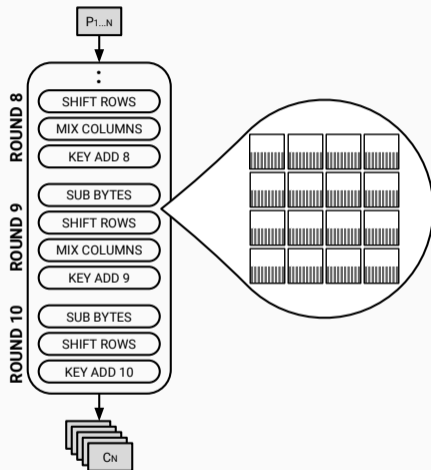
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- Plaintexts can be unknown but need to vary
 - “Opposite” requirement compared to differential attacks

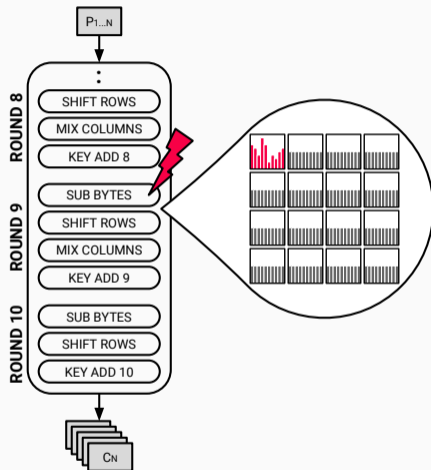
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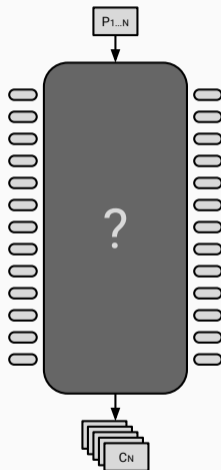
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- Usually need more than 2 faulted encryptions
- Key recovery exploits statistical distributions of state bytes (in contrast to differences)

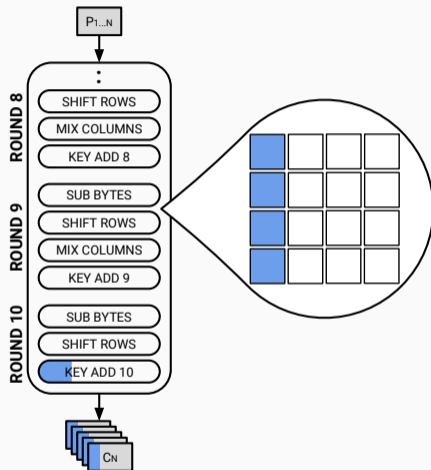


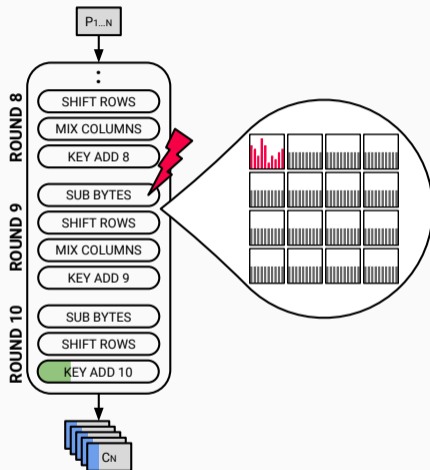


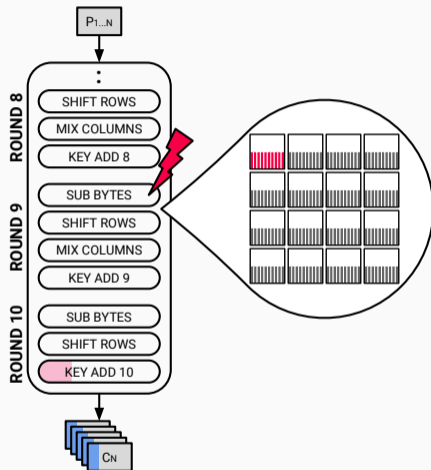












Countermeasures

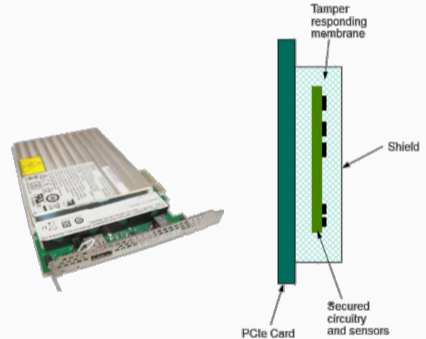
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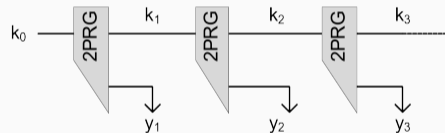
- Sensors to detect tampering
- Protocol/Mode level
 - Limited key usage, no message twice . . .
- Algorithmic countermeasures
 - (Often) no hardware support needed
 - Added redundancy to detect/correct errors
 - Hiding (shuffling, random delays, . . .) to hinder precise fault injection, (masking)

- Sensors to detect anomalies
 - Active meshes: Fine wire mesh across IC, disruption is detected
 - Power surge sensors
 - Temperature sensors
 - Light sensors

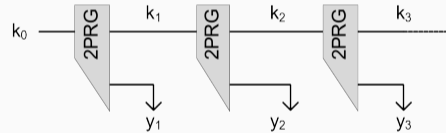
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 - Active meshes: Fine wire mesh across IC, disruption is detected
 - Power surge sensors
 - Temperature sensors
 - Light sensors
- Example: IBM4767 Hardware Security Module
 - Battery-backed monitoring, meshes, light sensors, temperature sensors, etc.
 - Immediate deletion of keying material on tamper detection



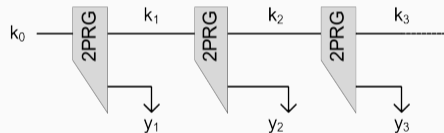
- Precondition for differential fault attacks
 - Encrypt same message twice with same key, get faulty output
 - Break condition!



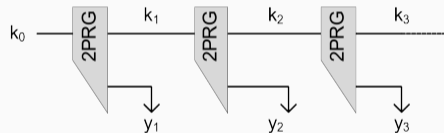
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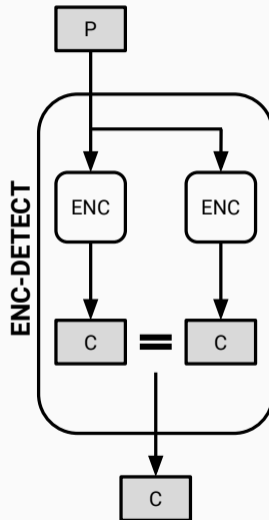
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- Protocol that doesn't allow encryption of same message
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 - Problem: Decryption!
- Authenticated encryption
 - Tag verifies integrity of ciphertext
 - Fault in decryption likely invalidates tag
 - No faulty output is released



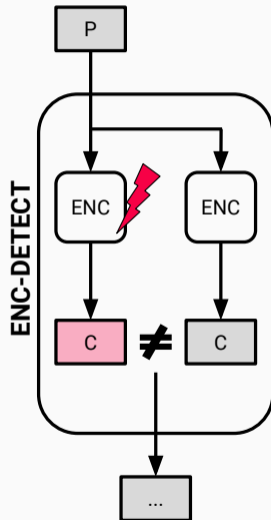
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 - Receiver wants to detect transmission errors and correct them
 - Now: “Noise” source is attacker instead of channel

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 - Receiver wants to detect transmission errors and correct them
 - Now: “Noise” source is attacker instead of channel
- Solution: Redundancy
 - Transmit redundant representation of data
(more bits than actually needed)
 - Use redundant information for error detection/correction

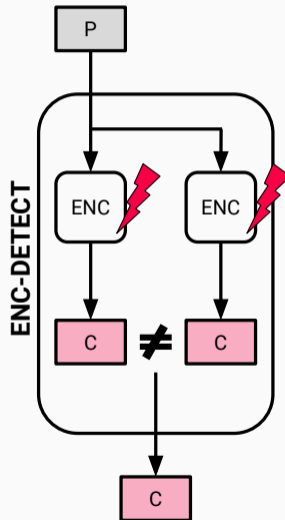
- Use redundancy to detect faults



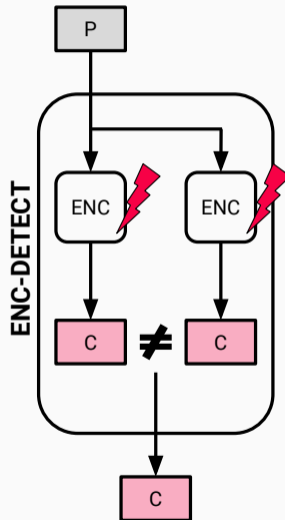
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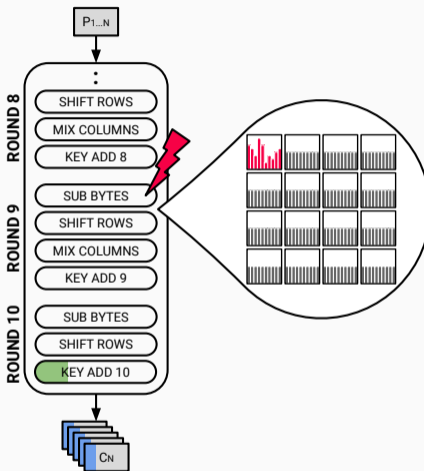
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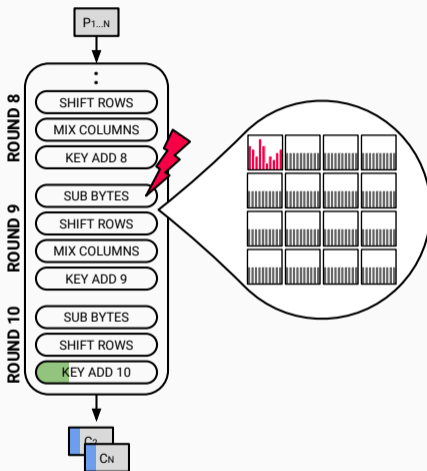


- Use redundancy to detect faults
 - Fault detected → No ciphertext
 - 2 identical faults necessary for attack
- More redundancy, Enc-Dec, etc...



Breaking Countermeasures Again

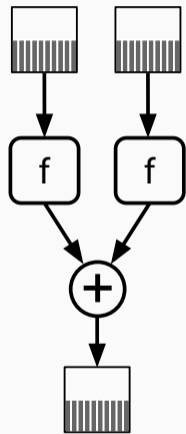




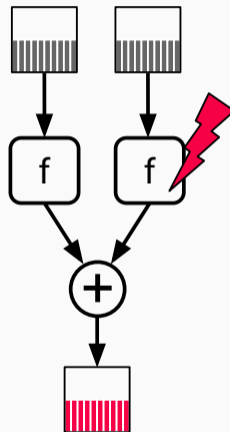
*only correct computations are considered

What about masked redundant implementations?

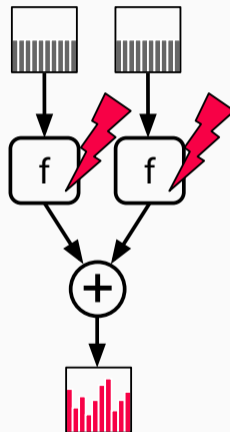
- Faulting single shares in linear functions does not work...



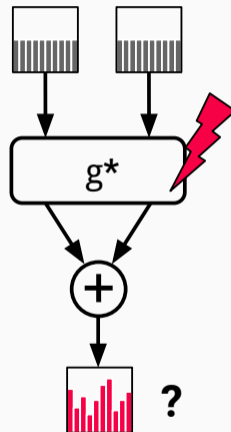
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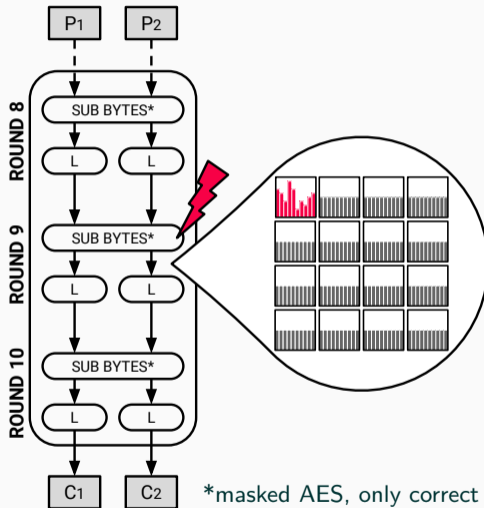


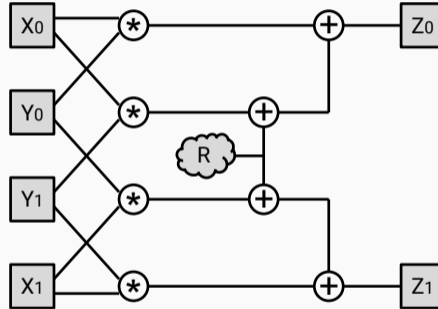
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- Faulting all shares would work but is difficult...

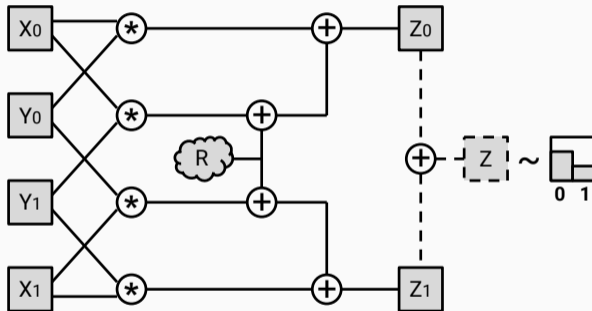


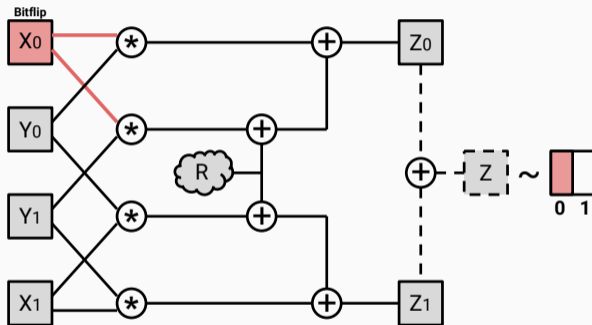
- Faulting single shares in linear functions does not work...
- Faulting all shares would work but is difficult...
- Can faulting single shares in non-linear functions lead to a bias in the unshared value?



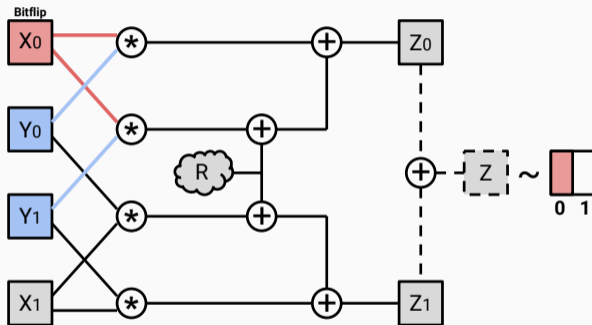








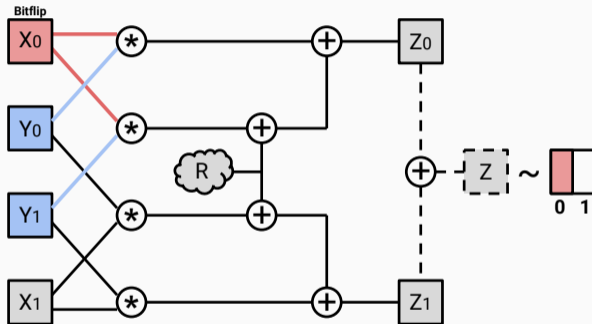
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Also works with:

- Other types of faults
- Higher-order masking
- Threshold Implementations



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- Can still be mitigated with:
 - Carefully crafted cipher implementations + redundancy (assuming an attacker injects only up to x faults)
 - Cryptographic modes/protocols that limit key usage
- In practice one also often also relies on:
 - Hiding to decrease attack performance
 - Sensor-based countermeasures if available

- This is the last actual lecture of SCS
- Monday 24th: EX2 Deadline

Thank you!

Questions:

rishub.nagpal@iaik.tugraz.at

Discord

Fault Attacks

Side-Channel Security

Rishub Nagpal

June 13, 2024

IAIK – Graz University of Technology